

*Regional Cooperation for
Limited Area Modeling in Central Europe*



DA cycling and initialization

Alena Trojáková



ARSO METEO
Slovenia



Data assimilation cycling

- Observation & quality control
- Objective analysis (3DVAR, 4DVAR, ...)
- Initialization
- Short model integration (background = first guess)

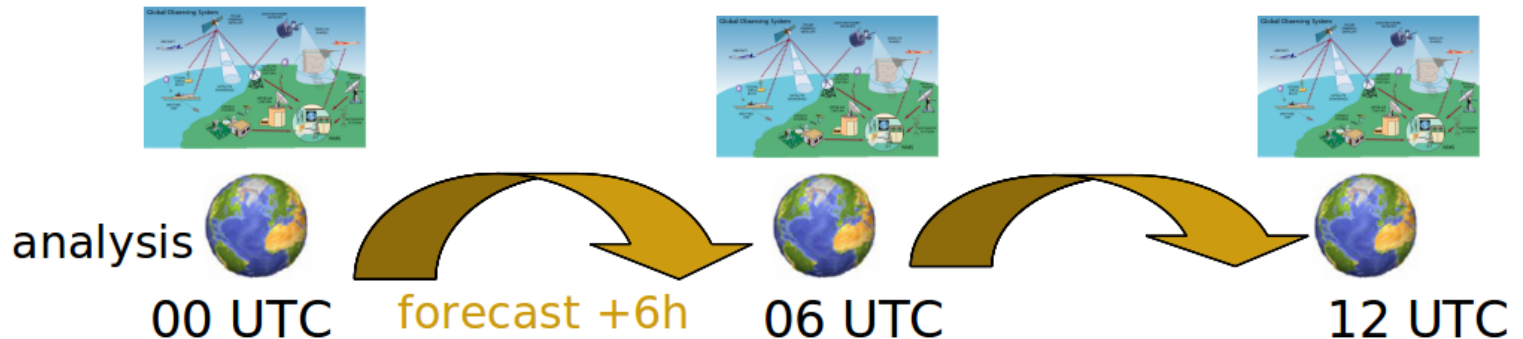


Fig: *intermittent, sequential assimilation cycle*

- DA methods analyze only some prognostic variables: T , q , wind, surface pressure
- **What about other model prognostic variables ?**
 - non-hydrostatic prognostic variables
 - hydrometeors, etc *rain, snow, liquid/solid cloud water, TKE, ...*
- **Option 1: Copy non-analyzed variables from the first guess**
 - using various tools (ADDSURF, BLEND ...)

```
# input file (guess) and output file (analysis)
ln -sf ICMRFMINI0000 fort.12
ln -sf MXMINI999+0000 fort.11
# namelist
cat > fort.4 <<END      &NAML
NBC=number of fields to copy,
CDPREFM(1)='S',CDSUFM(1)='LIQUID_WATER',NBNIV(1)=number of vertical levels,LOPC(1)=.T.,
CDPREFM(2)='S',CDSUFM(2)='SOLID_WATER',NBNIV(2)=number of vertical levels,LOPC(2)=.T.,
...      /
END
mpirun -np 1 ./ADDSURF
```

- **Option 2: Set non-analyzed variables to zero**
 - if no other way, e.g. in case of a cold start (for a new scheme for global model or when a different set of prognostic variables used in global and LAM model)

- aim to **remove the imbalances** introduced during the analysis (or downscaling)
- period of time needed by the model to adjust its initial fields with respect to all, discretized, model equations is called **"spinup"** (Fischer and Auger, 2011)
- spinup contains processes related to
 - dynamical adjustment (geostrophy)
 - excess energy radiated away by inertia-gravity waves
 - diabatic adjustment (physics tendencies)
- typical manifestation
 - oscillations, e.g. in MSLP, [video](#) credit B. Strajnar
 - precipitation quality issues
- **initialization methods:**
 - **Normal Mode Initialisation (NMI)**
Machenhauer, 1977, Daley, 1979, Temperton and Williams,
 - **(Incremental) Digital Filter Initialisation (DFI)**
Lynch, 1997, Lynch et al, 1997
 - **extra term in the cost function (J_c -DFI)**
Gustafsson, 1992, Gauthier and Thepaut, 2001
 - **Incremental Analysis Update (IAU)**
Bloom et al., 1996

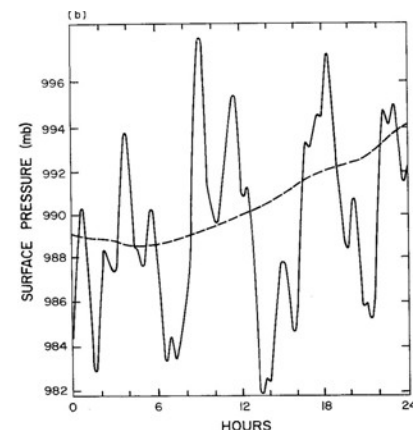


Figure 10.1 Time evolution of surface pressure during a 24 hour model integration for (a) linear and (b) nonlinear normal mode initialization. Solid curves, uninitialized; dashed curves, initialized. (After Williamson and Temperton, *Mon. Wea. Rev.* **109**: 745, 1981. The American Meteorological Society.)

- Digital Filter introduced following Lynch and Huang, 1992, Lynch et al. 1997
- **Principle:** considering a function of time $f(t)$
 1. calculate a Fourier transform $F(\omega)$ of $f(t)$
 2. set the coefficients of the high frequencies to zero, e.g. $F(\omega) * H(\omega)$ where

$$H(\omega) = \begin{cases} 1 & |\omega| \leq \omega_c \\ 0 & |\omega| \geq \omega_c \end{cases}$$

and ω_c is a cut-off frequency

3. calculate the inverse Fourier transform

- These three steps are equivalent to a convolution of $f(t)$ with $h(t) = \sin(\frac{\omega_c t}{\pi t})$
- **Solution:** To filter function $f(t)$ one calculates:

$$\overline{f(t)} = (h * f)(t) = \int_{-\infty}^{\infty} h(\tau) f(t - \tau) d\tau$$

for simple function can be computed analytically, but in general approximation methods are used.

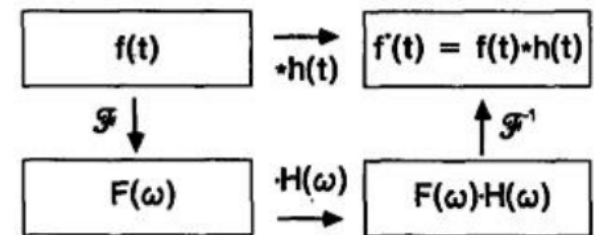


FIG. 1. Schematic representation of the equivalence between convolution and filtering in Fourier space.

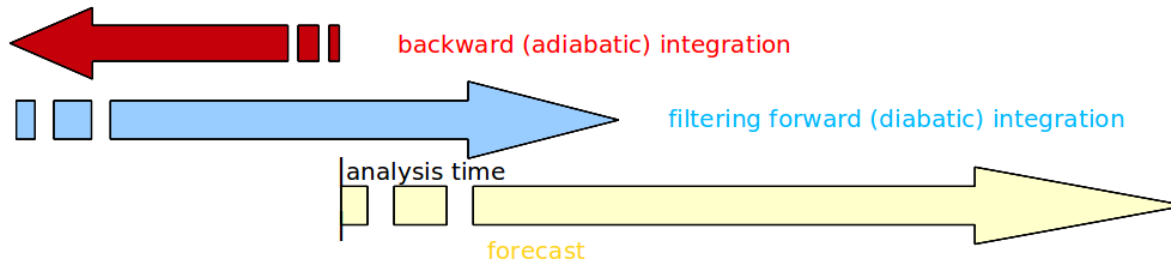
Credit: Lynch and Huang, 1992

- Digital Filter introduced following Lynch and Huang, 1992, Lynch et al. 1997
- considering a discrete function (of model state x_n at moments $t_n = n\Delta t$)
- purpose is to provide a filtered state **valid at initial time**
- non-recursive filtering requires both past and future model states

$$\bar{x}_0 = \sum_{n=-N}^{n=+N} h_n x_n = \sum_{n=0}^{n=-N} h_n x_n + \sum_{n=-N}^{n=+N} h_n x_n$$

where n is model time step and x_n is model state

- usual response function $H(\omega) = \frac{T_n[\frac{\cos(\frac{\omega\Delta t}{2})]}{\cos(\frac{\omega_s\Delta t}{2})}]}{T_n[\frac{1}{\cos(\frac{\omega_s\Delta t}{2})}]}$ where $T_n[\cdot]$ is n -Dolph-Chebyshev polynomials, $\omega_s = \frac{2\pi}{\tau_s}$ with τ_s the filter stop-band edge period



- **efficiency of the filter can be decreased when the time span is decreased** ($2*NSTDFI*RTDFI$) and/or by decrease of the stop-band edge ($TAU/3600$)
- **due to the backward adiabatic integration** *bias is generated in the filtered state* with respect to the original analysis state (Fischer and Auger, 2011)

- **NAMELIST**

&NAMINI

LDFI ! TRUE if digital filter initialization

LBIAS ! COMPUTING INITIALIZATION INCREMENT ($X_i - X_a$)

LINCR ! INCREMENTAL INITIALIZATION ($\rightarrow X_i - Z$, $Z = Y_i - Y_a$)

/

&NAMDFI ! default values

LADIFH=.T., ! HORIZONTAL DIFFUSION IN ADIABATIC INTEGRATIONS

NEDFI=7, ! BACKWARD+FORWARD DFI FOR INITIAL FIELDS

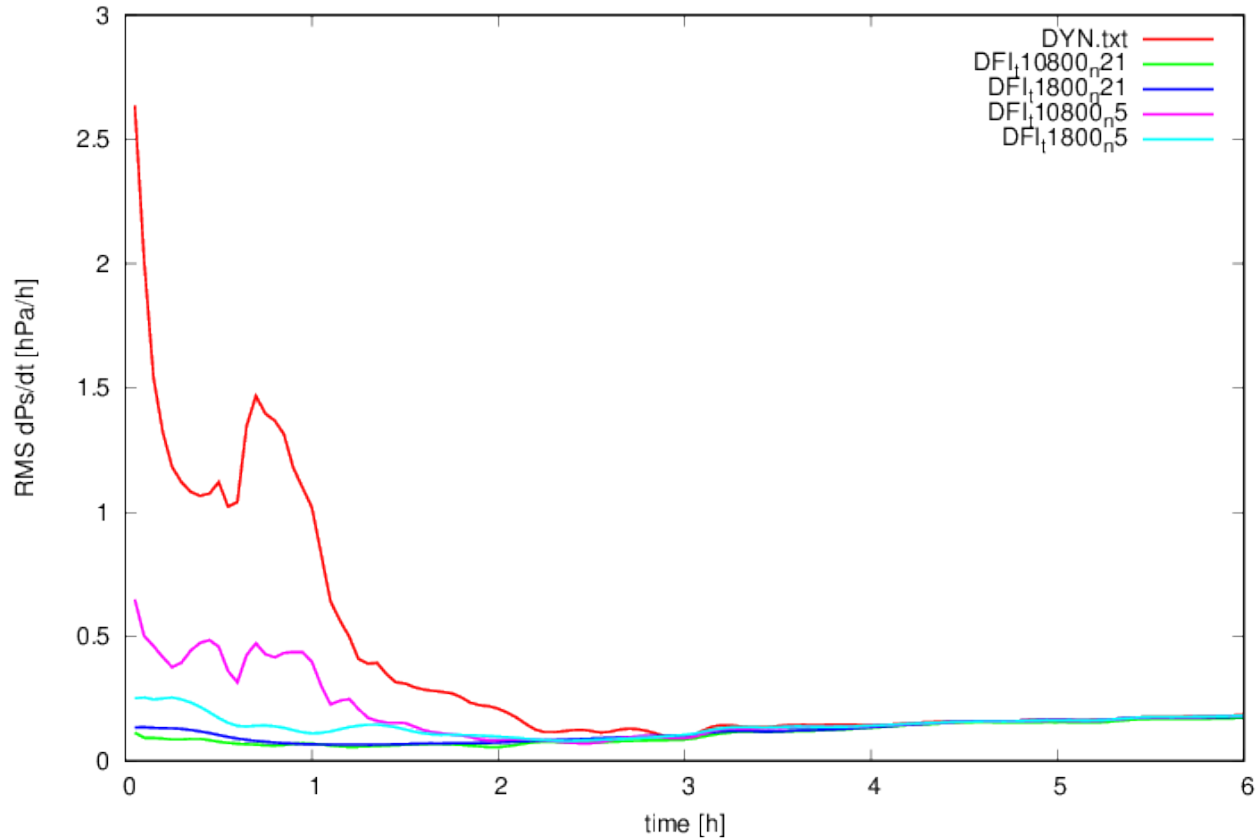
NSTDFI=21, ! NUMBER OF ADIABATIC DFI TIMESTEPS IN ONE DIRECTION ($2*NSTDFIA$)

NTPDFI=4, ! no recursive filter (A DOLPH-CHEBYSHEV FILTER IS USED)

TAUS=10800., ! STOP-BAND EDGE ($TAUS/3600$)= 3.000h

/

Temporal evolution of the surface pressure tendency root mean square averaged over the model domain

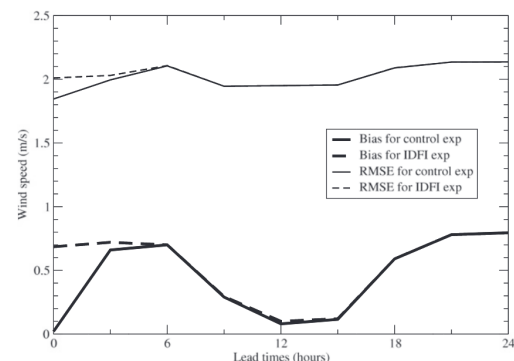
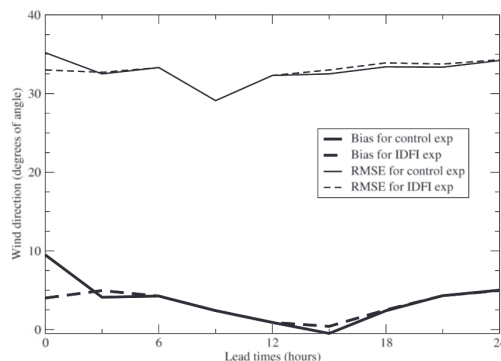
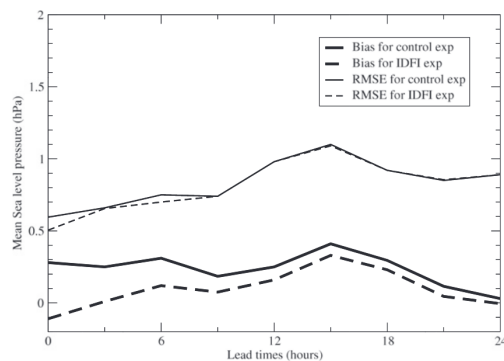


- DFI does not distinguish the high frequencies related to rapidly evolving meteorological features and in order to keep high frequencies of the first guess for the subsequent forecast **Incremental Digital Filter Initialization (IDFI)** was proposed

$$\bar{x}_0 = g + f(a) - f(g)$$

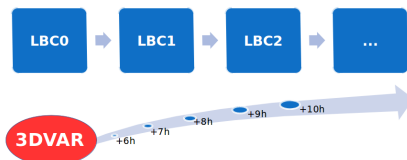
where g is the first guess, a is analysis and $f()$ is DFI filter

- Fischer and Auger (2011) showed that IDFI formulation:
 - decreases MSLP bias partially linked to an intrinsic property of DFI
 - improves scores of the wind direction
 - degrades scores of the wind intensity



Credit: Fischer and Auger, 2011

- imbalances introduced during the analysis
 - improve **B matrix estimation & its representativeness** to reduce imbalances in the analysis increments (Brousseau et al, 2016)
 - apply initialization methods (DFI, IDFI, IAU, ...)
- imbalances due to inconsistencies between analyzes state and LBCs (lateral boundary conditions) at the initial time
 - time-consistent coupling
(3DVAR analysis=INIT & LBC0 = ARPEGE/ECMWF analysis)



- space-consistent coupling reduces spinup
(3DVAR analysis = INIT = LBC0)

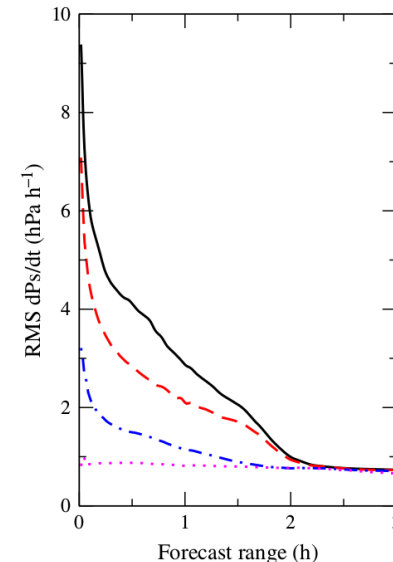
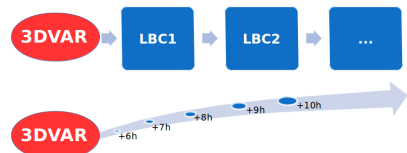
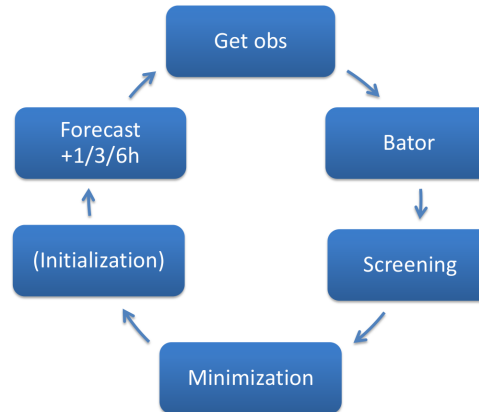


Figure 2. Temporal evolution of the surface pressure tendency root mean square averaged over the model domain and 15 forecasts as a function of the forecast range for different configurations: in restart mode (dotted line), using analysis obtained with the OLD B matrix and LBCs at initial time from the host model (solid line), analysis obtained the NEW B matrix and LBCs at initial time from the host model (dashed line), and analysis obtained with the new B matrix as initial condition but also as LBCs at initial time (dashed-dotted line).

Credit: Brousseau et al, 2016

**Initialization is an important component of DA cycling
& it is essential for a good performance !**



Thank you for your attention !